## BACHELOR OF COMPUTER APPLICATIONS (BCA) (Revised)

Term-End Examination

## 93931

June, 2017

## BCS-042 : INTRODUCTION TO ALGORITHM DESIGN

Time : 2 hours
Maximum Marks : 50
Note: Question no. 1 is compulsory. Answer any three questions from the rest.

1. (a) Write the linear search algorithm and analyse its time complexity in worst case.
(b) Arrange the following functions in increasing growth order : 2
(i) $\quad \mathrm{O}\left(\mathrm{n}^{3}\right)$
(ii) $\mathrm{O}\left(2^{\mathrm{n}}\right)$
(iii) $O(\log n)$
(iv) $O(\sqrt{n})$
(c) Write the recursive algorithm to calculate $\mathrm{x}^{\mathrm{n}}$ using Divide and Conquer.
(d) What is Minimum Cost Spanning Tree (MCST) ? Apply Prim's algorithm to find MCST for the following graph :

(e) Show that the worst case time complexity of Quick sort is $\mathrm{O}\left(\mathrm{n}^{2}\right)$, where n is the size of array elements.
(f) Create adjacency list for the following graph : 3

2. (a) Apply Dijkstra's algorithm to find the single source shortest path for the following graph : 5


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(b) Apply the Merge sort algorithm to sort the following list:

$$
15,8,6,12,20,7,18,5
$$

3. (a) What is recurrence relation ? Draw a recurrence tree for recurrence

$$
\begin{equation*}
T(n)=3 T\left(\frac{n}{2}\right)+n \tag{5}
\end{equation*}
$$

(b) . Write the Breadth First search algorithm and calculate its time complexity.
4. (a) Find the time complexity of the following code :

$$
\begin{gathered}
\text { for }(\mathrm{i}=1 ; \mathrm{i}<=\mathrm{n} ; \mathrm{i}++) \\
\left\{\begin{array}{c}
\text { if }(\mathrm{A}[\mathrm{i}]>B[\mathrm{i}]) \\
\\
\\
\text { print } A[\mathrm{i}] ;
\end{array}\right.
\end{gathered}
$$

(b) Find the optimal solution to the fractional knapsack problem for $n=5$, M (capacity of knapsack) $=10$ and
$\left(p_{1}, p_{2}, p_{3}, p_{4}, p_{5}\right)=(12,32,40,30,50)$
$\left(w_{1}, w_{2}, w_{3}, w_{4}, w_{5}\right)=(4,8,2,6,1)$
5. Explain the following terms with examples : 10
(a) Space Complexity
(b) Asymptotic Notation
(c) Binary Search
(d) Master Method for Solving Recurrence

